

Robin Pemantle
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University of Pennsylvania
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Philadelphia, PA 19104
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CURRICULUM VITAE

Born: June 12, 1963, Walnut Creek, CA. U.S. citizen.

Education:

Ph.D. in probability theory under the supervision of Persi Diaconis (Harvard) from the Massachusetts Institute of Technology in August, 1988.

B.A. in pure mathematics from the University of California at Berkeley in June, 1984.

Professional experience:

June 2003 - present: Merriam Term Professor of Mathematics at the University of Pennsylvania.

September 1999 - September 2003: Professor of Mathematics at the Ohio State University.

September 1991 - August 1999: Assistant / Associate (1994) / Full (1998) Professor of Mathematics at the University of Wisconsin-Madison.

September 1990 - December 1991: Andreotti Assistant Professor of Mathematics and N.S.F. Postdoctoral Fellow at Oregon State University.

September 1989 - September 1990: N.S.F. postdoctoral fellow and M.S.I. postdoctoral research fellow in the department of mathematics at Cornell University and the Mathematical Sciences Institute.

June 1988 - September 1989: N.S.F. postdoctoral fellow in the department of statistics at the University of California at Berkeley.

Honors and awards:

Institute of Mathematical Statistics Fellow, elected 2001

Romnes Fellowship awarded 1997 (\$50,000 in flexible funds)

Presidential Faculty Fellowship awarded 1993 (\$500,000 in flexible funds; the PFF program was a part of the former PYI program)

Sloan Foundation Fellowship awarded 1993.

Rollo Davidson Prize, awarded 1993.

Lilly Teaching Fellowship awarded 1993.

N.S.F. postdoctoral fellowship awarded 1988.

N.S.F. graduate fellowship awarded 1984.

Top five in the William Lowell Putnam Math Competition, 1981.

Doctoral dissertations supervised

Manuel Lladser (OSU, 2003, presently Assistant Professor of Applied Mathematics and University of Colorado in Boulder)

Grants

Continuous N.S.F. support since graduate school (DMS-0603821, DMS-0103635, DMS-9803249, DMS-9353149, DMS-9300191, plus see above)

Research interests:

Probability theory:

Random walks, urn schemes and reinforcement schemes;

Tree-indexed process, branching processes, any probability model involving trees;

Discrete potential theory, particle systems, percolation, mixing rates Markov chains, pathwise properties of Brownian motion.

Combinatorics:

Asymptotics of multivariable generating functions, optimization, enumerative combinatorics, spanning trees of graphs.

Recent invited talks:

Yale Statistics Colloquium January, 2008

Columbia Probability Seminar February, 2008

IDA-CCR colloquium, Princeton February, 2008

Princeton Discrete Math Seminar February, 2008

Analysis of Algorithms conference, Brazil April, 2008

University of Delaware Probability Seminar April, 2008

Courant Institute Probability Seminar May, 2008

AMS Prob. and Stat Mech. session, Vancouver October, 2008

Harvard Statistics Colloquium November, 2008

Univeristy of Utah Probability Seminar February, 2009

MIT Probability Seminar February, 2009

Brown Geometry-Topology seminar April, 2009

CRM Random Spatial Processes workshop, Montreal May, 2009

Cornell summer school speaker (6 lectures) July, 2009

References

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- [2] Pemantle, R. (1989). Randomization time for the overhand shuffle. *J. Theor. Prob.* **2** 37 - 49.
- [3] Pemantle, R. (1990). Nonconvergence to unstable points in urn models and stochastic approximations. *Ann. Probab.* **18** 698 - 712.
- [4] Pemantle, R. (1990). A time-dependent version of Polya's urn. *Jour. Theor. Prob.* **3** 627 - 637.
- [5] Fill, J. and Pemantle, R. (1993). Oriented percolation, first-passage percolation and covering times for Richardson's model on the n -cube. *Ann. Appl. Prob.* **3** 593 - 629.
- [6] Pemantle, R. (1990). Vertex-reinforced random walk. *Prob. Theor. and Rel. Fields* **92** 117 - 136.
- [7] Pemantle, R. (1991). When are touchpoints limits for generalized Polya urns? *Proc. AMS* **113** 235 - 243.
- [8] Pemantle, R. and Peres, Y. (1995). Critical RWRE on trees and tree-indexed random walks. *Ann. Probab.* **23** 105 - 140.
- [9] Pemantle, R. (1991). Choosing a spanning tree for the integer lattice uniformly. *Ann. Probab.* **19** 1559 - 1574.

- [10] Pemantle, R. and Lyons, R. (1992). Random walk in a random environment and first-passage percolation on trees. *Ann. Probab.* **20** 125 - 136.
- [11] Pemantle, R., Propp, J. and Ullman, D. (1992). On tensor powers of integer programs. *SIAM J. Disc. Math.* **5** 127 - 143.
- [12] Pemantle, R. (1992). Automorphism-invariant measures on trees. *Ann. Probab.* **20** 1549 - 1566.
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- [15] Burton, R. and Pemantle, R. (1993). Local characteristics, entropy and limit theorems for uniform spanning trees and domino tilings via transfer-impedances. *Ann. Prob.* **21** 1329 - 1371.
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- [18] Pemantle, R. and Peres, Y. (1994). Domination between trees and application to an explosion problem. *Ann. Probab.* **22** 180 - 194.
- [19] Pemantle, R. (1994). A shuffle that mixes sets of any fixed size much faster than it mixes the whole deck. *Rand. Struct. Alg.* **9** 609 - 625.
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- [31] Pemantle, R. and Peres, Y. (1996). On which graphs are all random walks in random environments transient? In: Random Discrete Structures, 207 - 211, *IMA Vol. Math. Appl.* **76**. Springer: New York.
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- [76] Argiento, R., Pemantle, R., Skyrms, B. and Volkov, S. (2009). Learning to signal: analysis of a micro-level reinforcement model. *Stoch. Proc. Appl.* **119**, 373–390.
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- [79] Croot, E., Granville, A., Pemantle, R. and Tetali, P. (2008). Sharp transitions in making squares. *Preprint*, 37 pages.
- [80] Baryshnikov, Y. and Pemantle, R. (2008). Asymptotics of multivariate sequences, part III: quadratic points. *Preprint*, 79 pages.
- [81] Pemantle, R. and Wilf, H. (2009). Counting nondecreasing integer sequences lying below a barrier. *Preprint*, 8 pages.
- CONFERENCE PROCEEDINGS AND SOCIAL SCIENCE PAPERS**
- [82] Skyrms, B. and Pemantle, R. (2000). A dynamic model of social network formation. *Proc. NAS* **97** 9340–9346.

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- [86] Pemantle, R. and Ward, M. (2006). Exploring the average values of Boolean functions via asymptotics and experimentation. In: *The Proceedings of the Third Workshop on Analytic Algorithmic and Combinatorics (ANALCO'06)* 253–262.
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- [90] Bressler, A., Greenwood, T., Pemantle, R. and Petkovsek, M. (2009). Quantum random walk on the integer lattice: examples and phenomena. *Preprint, 17 pages*.

Teaching experience:

Graduate level:

Year-long graduate probability course, Penn yearly 2004-2009; U.W. Madison, 1992 and 1997.

Probability topics course, Penn 2005; Madison, 1993, 1998.

Reading course in computational algebraic geometry, Penn 2005, 2006.

Seminar in computational algebraic geometry, OSU 2001.

Asymptotics of multivariate generating functions, Penn 2006, 2009; Stanford (visiting) 1999, OSU 2002.

Undergraduate level:

Math for prospective elementary teachers (Wisconsin's Math 130-131-1323), 1992-1998. For five years I worked on renovating this sequence so as to teach problem-solving and verbal skills in addition to the remedial skills already taught. During part of this time (Fall 1995) I was involved in a project to incorporate some similar material into Wisconsin's pre-calculus course (Math 112). In Spring 2002 I ran a pilot version of problem-solving geometry for pre-service teachers at Ohio State (Math 106). In Autumn 2002 I ran the pilot for the companion problem-solving course in arithmetic (Math 105).

Calculus: Second semester calculus (Math 114) Penn 2004, 2005, 2008.

Probability theory, pre-calculus, trigonometry (OSU, Madison).

Game theory (independent study).

Elementary level:

Taught math enrichment to children of ages 10-13 at Black Pine Circle School during the years 1980-1984.

Experimental:

OSU Math 151A (calculus problem-solving curriculum), 2000

Experimental version of Wisconsin Math 112 (pre-calculus), 1995.

Experimental versions of courses for elementary school teachers, 1993, 2002.

Taught a course in knot theory in the Summer Institute in Mathematics, Berkeley, 1991.

The SMI is a program for minority students at the college level who are interested in careers in mathematics.

Taught experimental courses in differential equations and in probability theory to students in the Experimental Study Group at M.I.T. in 1987-88.